

# Variation in own-brand penetration across product categories and stores: the role of rivalrous vs industry-expanding advertising

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# Introduction

What determines retailers' product selection, specifically the decision whether or not to introduce own brands in place of national brands?

Propose a theoretical model focusing on the role of advertising, specifically:

- the strength of its **'intra-store' rivalrous capture** effect between brands in a product category ( $a_{riv}$ ) vs. its **industry expansion** effect ( $a_{ind}$ )  
e.g. *shampoo* - high  $a_{riv}$ , low  $a_{ind}$ , vs. *oranges* - low  $a_{riv}$ , high  $a_{ind}$
- the strength of **'inter-store' rivalrous capture** ( $a_{ret}$ ) - extent to which offering heavily advertised brands attracts consumers from other stores

Other factors: consumers' **willingness-to-pay** ( $V$ ) and **retailer size** ( $s$ )

⇒ *then take the predictions to UK supermarket data*

# Benchmark Case: No Own Brands (2N)

## Players / Timing of Moves

Three stages of the game:

- 1 Two manufacturers simultaneously set levels of effort  $e_1^m, e_2^m$  they exert each advertising one distinct variety within the same category
- 2 Manufacturers simultaneously set wholesale prices  $p_i^m$  at which to offer their products to retailers
- 3 Each retailer independently sets retail prices  $p_i^r$  of *both* national brands

Consumers, with tastes' characteristic  $x$  uniformly distributed on  $[0, 1]$ , each buy one unit of product  $i$  iff:

$$U_i(x) > \max \{ U_{-i}(x), 0 \}, \text{ where:}$$

$$U_i(x) = V - p_i^r - |x - (i - 1)| + a_{riv} (e_i^m - e_{-i}^m) / 2$$

# Benchmark Case: No Own Brands (2N)

## Optimal Prices

Assume:

**(1)**  $V \geq 3$ , **(2)** no fixed retail costs, no manufacturing costs **(3)** retailers do not compete on prices, only on brand selection. Here, the latter is the same across stores, so for every retailer we have equilibrium prices:

$$p_i^{r*} = [p_i^m - p_{-i}^m - 2 + a_{riv} (e_i^m - e_{-i}^m)] / 4 + V$$

$$p_i^{m*} = a_{riv} (e_i^m - e_{-i}^m) / 3 + 2$$

and the following market shares & profits:

$$\bar{x}_1^* = \bar{x}_2^* = [a_{riv} (e_1^m - e_2^m) + 6] / 12$$

$$\pi^{r*} = V - 5/2 + (e_1^m - e_2^m)^2 a_{riv}^2 / 72$$

# Benchmark Case: No Own Brands (2N)

## Optimal Advertising Efforts

For manufacturers' it's like selling to a monopolistic retailer, and optimal efforts  $e_i^m$  maximize:

$$\Pi_i^m = [1 + a_{ind} (e_1^m + e_2^m)] p_i^{m*} |\bar{x}_i^* - (i - 1)| - (e_i^m)^2$$

Assuming  $a_{riv}$ ,  $a_{ind}$  not too big, a unique equilibrium exists, with efforts:

$$e_1^{m*} = e_2^{m*} = (3a_{ind} + a_{riv}) / (6 - 2a_{ind}a_{riv})$$

So, a symmetric equilibrium, but manufacturers advertise less and charge more than they would if selling directly to consumers.

# Introducing Own Brands

## A Single Own Brand (ON)

Suppose that, once equilibrium efforts  $e_i^{m*}$  are set, one of the retailers unexpectedly finds itself in a position to introduce their own brand and offer it to consumers instead of an existing national brand (say, brand  $i = 1$ ).

The retailer can then set their own level of advertising effort  $e_1^r \geq 0$  before prices are set.

We assume this is **not** in order to compete with the remaining national brand **within** the store, but rather to bring more people **into** the store via industry-expansion and inter-store rivalrous capture.

# Introducing Own Brands

## A Single Own Brand (ON)

In particular, the retailer's total profit is given by:

$$\Pi_{ON}^r = \pi_{ON}^{r*} \times M - (e_1^r)^2$$

where  $\pi_{ON}^{r*}$  is the retailer's profit *per unit mass of consumers*, obtained by substituting  $e_1^m = 0$  and  $e_2^m = e_2^{m*}$  in  $\pi^{r*}$ , i.e.:

$$\pi_{ON}^{r*} = V - 5/2 + (0 - e_2^{m*})^2 a_{riv}^2 / 72$$

and  $M$  is the mass of consumers visiting the store, specified as:

$$M = s \left[ 1 + \overbrace{a_{ind} (e_1^r + e_1^{m*} + e_2^{m*})}^{\text{industry expansion}} \right] + \overbrace{a_{ret} (e_1^r - e_1^{m*})}^{\text{inter-store riv. capture}}$$

# Introducing Own Brands

## Two Own Brands (20)

Similarly, suppose the manufacturer replaces **both** national brands with its own brands, thereby eliminating the intra-store rivalrous effect and making both brands equally attractive to consumers at equal prices.

However, it can now advertise both own brands, i.e. set  $e_1^r, e_2^r \geq 0$  to attract consumers into the store more effectively.

$$\Pi'_{20} = \pi'_{20} M - (e_1^r)^2 - (e_2^r)^2$$

where  $\pi'_{20}$  is obtained by substituting  $e_1^m = e_2^m = 0$  in  $\pi^{r*}$  and:

$$M = s \left[ 1 + a_{ind} \left( e_1^r + e_2^r + e_1^{m*} + e_2^{m*} \right) \right] + a_{ret} \left[ (e_1^r + e_2^r) - (e_1^{m*} + e_2^{m*}) \right]$$



# Results

## Optimal Product Selection

We compare equilibrium profits  $\Pi_{2N}^{r*}$  (no own brands), with optimal profits  $\Pi_{ON}^{r*}$  and  $\Pi_{2O}^{r*}$ , corresponding to the introduction of one or two own brands and setting advertising efforts  $e_i^r$  optimally.

We find a dual motivation to introduce own brands:

- at the intra-store level, having cheap alternatives to national brands helps get the most out of any mass of consumers who visit
- at the inter-store level, having much-advertised own brands helps in getting more people to visit

Having a single own brand is a compromise between the two, while having two means pursuing the second objective.

# Results

## Optimal Product Selection

Larger  $s$  **supports** both motives: (1) benefits from effective price differentiation are applied to a larger mass of consumers; (2) bigger stores appropriate a larger share of any industry-wide increase in demand.

Larger  $a_{ret}$  **discourages** own brand introduction, as more consumers follow heavily advertised national brands. But when shopping in **many** categories on a single visit, they may be less likely to switch retailers if a national brand is removed from any **single** category (i.e.  $a_{ret}$  may be smaller in this case).

Thus, own brands are more likely to penetrate multi-product, concentrated retail sectors, like the supermarket industry.

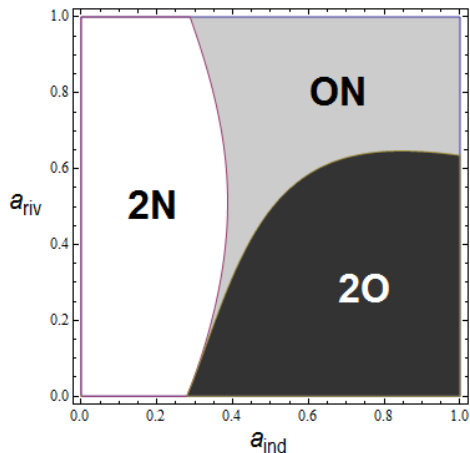
# Results

## Optimal Product Selection

Consider then the role of two other parameters:  $a_{ind}$  and  $a_{riv}$ , in the context of the UK supermarket industry:

- dominated by a small number of large retailers with market shares around  $1/4$ , so set  $s = 0.25$ .
- people consider many product categories on a single visit, so small  $a_{ret}$  and  $V$  (likely to opt out of one if too expensive); set  $V = 3$  (smallest value allowed, market just about covered) and  $a_{ret} = 0.005$ .

## Results: Large Stores ( $s = 0.25$ )



**Three** parameter regions:

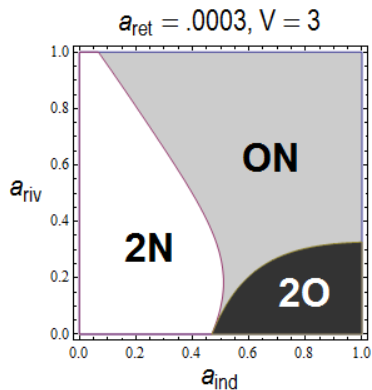
**(2N)** no own brands - small  $a_{ind}$ , large retailers better internalize industry expansion;

**(ON)** own brands mixed with national brands - large  $a_{ind}$  and  $a_{riv}$ , both price differentiation and attracting new consumers are important;

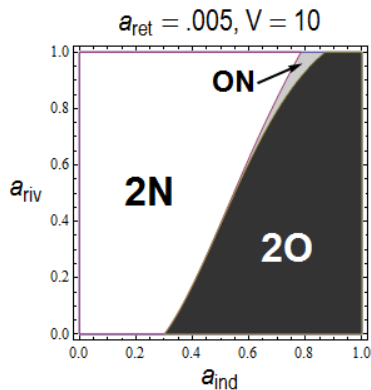
**(2O)** own brands dominate - large  $a_{ind}$ , small  $a_{riv}$ , market expansion the main objective

## Results: Small Stores ( $s = 0.05$ )

A *ceteris paribus*  $s \downarrow$  would enlarge '2N', but  $a_{ret} \downarrow$  or  $V \uparrow$  could offset.



(Lidl?) more budget brands  
& less advertising



(M&S?) more standard own  
brands, more advertising