## The distributional effects of a soda tax

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## Motivation

- Governments across the world are concerned about high and rising rates of obesity; sugar sweetened beverages are a prime contributing factor
- Public health community has advocated the use of soda taxes
- In 2012 France became first country to introduce a tax targeted specifically at soda, followed in 2013 by Mexico
- This year:
- Philadelphia passed legislation for a tax of 1.5 cents per ounce on both sodas with added sugar and artificial sweeteners
- UK Government announced plans for a tax on soda with added sugar
- Controversy surrounding whether such measures will successfully lower sugar consumption among those most in need of change and to what extent the measures will be regressive.


## Aim of paper

- We provide empirical evidence on the impact on consumer demand for soda of implementing a soda tax
- Estimate demand in UK soda market exploiting longitudinal data on purchases of a panel of individual consumers
- For each consumer we estimate their price, soda and sugar preference parameters, imposing no distributional assumption on the joint distribution
- Allows us to capture distributional impact of introducing tax
- And to relate preferences and predictions to other information about consumers (e.g. total sugar in diet and measure of income)
- We compare a Philadelphia style tax on all soda (soda tax) with a revenue equivalent UK style tax which targets only soda with added sugar (sugary soda tax)


## Use novel data set

- Use data on purchases made by a panel of consumers of food and drink bought "on-the-go"
- We observe 5199 consumers in total
- 1103 never purchase drinks; 1773 only purchase non soda drinks; 2363 are soda purchasers
- We observe each consumer making purchases on at least 25 separate days (81 on average)
- Food/drink "on-the-go" is an important segment of junk food markets, yet little is known about on-the-go demand
- Alleviates concerns about stocking-up and intra-household allocation contaminating demand estimates


## Soda demand

- Consumers typically purchase one product on a purchase occasion
- They select from set of popular, differentiated products; e.g.
- Coca Cola 330 ml can
- Pepsi Diet 500 ml bottle
and outside option of a non-soda drink
- We model demand using discrete choice framework
- Utility from a given product is a function of consumer's valuation of product attributes
- Plus an additive (logit) shock
- Consumer assumed to select the option that provides the highest utility


## Utility specification

Consumer $i$ on purchase occasion $t$ chooses between soda products, $j \in\{1, \ldots, J\}=\Omega$, and outside option, $j=0$

Inside option utility $(j>0)$ :

$$
U_{i j t}=\alpha_{i}+\beta_{i} p_{j r t}+\gamma_{i} s_{j}+g_{i}\left(\mathbf{x}_{j t}\right)+\epsilon_{i j t}
$$

$p_{j r t}$ price of product $j$ at time $t$ in store $r$ $s_{j}$ indicator of sugary vs. diet
$\mathbf{x}_{j t}$ additional product attributes (pack size effect; time varying brand effects)
$\epsilon_{i j t}$ type I extreme value deviate
Outside option utility $(j=0)$ :

$$
U_{i 0 t}=\zeta_{d r t}+\epsilon_{i 0 t}
$$

$\zeta_{d r t}$ demographic group $d$-time $t$-store $r$ effect

## Preference heterogeneity

- Soda $\left(\alpha_{i}\right)$, price $\left(\beta_{i}\right)$ and sugar $\left(\gamma_{i}\right)$ preferences are consumer specific
- We treat $\boldsymbol{\alpha}=\left(\alpha_{1}, \ldots \alpha_{N}\right)^{\prime}, \boldsymbol{\beta}=\left(\beta_{1}, \ldots \beta_{N}\right)^{\prime}$ and $\gamma=\left(\gamma_{1}, \ldots \gamma_{N}\right)^{\prime}$ as parameters
- Using large $T$ dimension of data to recover estimates of $(\boldsymbol{\alpha}, \boldsymbol{\beta}, \boldsymbol{\gamma})$
- And large $N$ dimension to construct nonparametric estimate of $f\left(\alpha_{i}, \beta_{i}, \gamma_{i}\right)$
- We also allow for the possibility of infinite regions of the parameter space
- For instance, consumers that never purchase sugary (non-diet) products have $\gamma_{i}=-\infty$


## Our approach vs. random coefficient logit

- It's well understood that incorporating preference heterogeneity is important for capturing realistic substitution patterns
- Standard approach is to model heterogeneity using a parametric distribution - e.g. consumer specific coefficients are random draws from independent normals
- Strength of our alternative approach is
- We do not need to impose functional form assumptions on preference distribution
- We recover consumer specific parameters and therefore can relate them to other information about consumers


## Soda products

| Product |  |  | Market share | Price (£) | $\begin{aligned} & \text { g sugar } \\ & \text { per } 100 \mathrm{ml} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Brand | Regular/diet | Pack size |  |  |  |
| Coca Cola | Regular | 330 ml can | $45.5 \%$ | 0.63 | 10.6 |
|  | Regular | 500 ml bottle | 12.6\% | 1.08 | 10.6 |
|  | Diet | 330 ml can | 6.8\% | 0.63 | 0.0 |
|  | Diet | 500 ml bottle | 19.9\% | 1.07 | 0.0 |
| Fanta |  |  | 7.3\% |  |  |
|  | Regular | 330 ml can | 1.0\% | 0.59 | 6.9 |
|  | Regular | 500 ml bottle | 5.5\% | 1.07 | 6.9 |
|  | Diet | 500 ml bottle | 0.8\% | 1.06 | 0.6 |
| Cherry Coke |  |  | 5.7\% |  |  |
|  | Regular | 330 ml can | 0.8\% | 0.65 | 11.2 |
|  | Regular | 500 ml bottle | 3.3\% | 1.07 | 11.2 |
|  | Diet | 500 ml bottle | 1.6\% | 1.06 | 0.0 |
| Ribena |  |  | 5.2\% |  |  |
|  | Regular | 288 ml carton | 0.9\% | 0.67 | 10.5 |
|  | Regular | 500 ml bottle | 3.1\% | 1.12 | 10.5 |
|  | Diet | 500 ml bottle | 1.2\% | 1.12 | 0.5 |
| Pepsi |  |  | 18.7\% |  |  |
|  | Regular | 330 ml can | 1.4\% | 0.60 | 11.0 |
|  | Regular | 500 ml bottle | 3.6\% | 0.94 | 11.0 |
|  | Diet | 330 ml can | 1.9\% | 0.61 | 0.0 |
|  | Diet | 500 ml bottle | 11.7\% | 0.93 | 0.0 |
| Lucozade |  |  | 9.1\% |  |  |
|  | Regular | 380 ml bottle | 4.3\% | 0.94 | 13.8 |
|  | Regular | 500 ml bottle | 4.9\% | 1.13 | 13.8 |
| Oasis |  |  | 8.5\% |  |  |
|  | Regular | 500 ml bottle | 7.8\% | 1.07 | 4.1 |
|  | Diet | 500 ml bottle | 0.7\% | 1.05 | 0.5 |

## Model estimates

| Moments of distribution of consumer specific preferences |  |  |  |
| :--- | :--- | :---: | :---: |
|  |  | Estimate | Standard <br> error |
| Variable |  | -3.0985 | 0.0925 |
| Price | Mean | 5.9174 | 0.0948 |
|  | Standard deviation | 0.3353 | 0.0966 |
|  | Skewness | 4.2871 | 0.2833 |
| Kurtosis | -1.5635 | 0.0894 |  |
|  | Mean | 5.8820 | 0.1046 |
|  | Standard deviation | -0.6427 | 0.1072 |
|  | Skewness | 4.5701 | 0.4237 |
| Sugar | Kurtosis | 0.0532 | 0.0182 |
|  | Mean | 1.7495 | 0.0200 |
|  | Standard deviation | -0.2008 | 0.0404 |
|  | Skewness | 2.4635 | 0.0692 |
| Kurtosis | -31.7067 | 1.1204 |  |
| Price-Soda | Covariance | 0.6170 | 0.1371 |
| Soda-Sugar | Covariance | Covariance | -2.4481 |

## Marginal preference distributions





Negative Indifferent
(not statistically different from zero)
Positive

## How preferences relate to broader measures of behaviour



- Consumers with low annual grocery expenditure more price sensitive
- Consumers with high share of total sugar in diet have stronger sugar preference


## Price effects

|  | own demand | Effect of 1\% pri cross dem sugary products | e increase on: and for: diet products | total demand |
| :---: | :---: | :---: | :---: | :---: |
| Coca Cola 330 | -3.954 | 0.178 | 0.067 | -0.049 |
| Coca Cola 500 | -1.231 | 0.154 | 0.065 | -0.142 |
| Coca Cola Diet 330 | -3.668 | 0.070 | 0.294 | -0.033 |
| Coca Cola Diet 500 | -1.858 | 0.068 | 0.463 | -0.161 |
| Fanta 330 | -4.425 | 0.047 | 0.015 | -0.011 |
| Fanta 500 | -1.276 | 0.018 | 0.011 | -0.025 |
| Fanta Diet 500 | -2.157 | 0.012 | 0.068 | -0.029 |
| Cherry Coke 330 | -4.644 | 0.028 | 0.008 | -0.006 |
| Cherry Coke 500 | -1.339 | 0.018 | 0.011 | -0.023 |
| Cherry Coke Diet 500 | -2.159 | 0.011 | 0.061 | -0.024 |
| Ribena 288 | -4.214 | 0.043 | 0.016 | -0.006 |
| Ribena 500 | -0.814 | 0.003 | 0.007 | -0.013 |
| Ribena Diet 500 | -1.710 | 0.006 | 0.035 | -0.016 |

## Counterfactual soda tax

- We simulate a Philadelphia and UK style soda tax - A 25p tax per litre on all soda (Philadelphia style) - A 48p tax per litre on only sugary soda (UK style)
- Rates chosen to be revenue equivalent
- We explore the demand effects of each tax


## Aggregate effects

|  | \% change in demand for: |  |  |
| :--- | :---: | :---: | :---: |
|  | sugary soda | diet soda | all soda |
| Soda tax | -9.1 | -10.4 | -9.6 |
| Sugary soda tax | $[-9.5,-8.3]$ | $[-10.8,-9.5]$ | $[-10.1,-8.9]$ |
|  | -16.2 | 4.7 | -6.9 |
|  | $[-16.8,-14.2]$ | $[4.1,5.3]$ | $[-7.2,-6.1]$ |

## Effects of tax by overall dietary sugar

|  |  | Quartile of added sugar distribution |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{gathered} 1 \\ \text { Mean } \end{gathered}$ | Difference in mean with quartile 1 |  |  |
| Volume (I) | Pre tax | $\begin{gathered} 8.50 \\ {[8.47,8.65]} \end{gathered}$ | $\begin{gathered} -0.85 \\ {[-0.95,-0.72]} \end{gathered}$ | $\begin{gathered} -0.70 \\ {[-0.76,-0.50]} \end{gathered}$ | $\begin{gathered} -0.68 \\ {[-0.78,-0.51]} \end{gathered}$ |
| $\Delta$ volume (1) | Soda tax | -0.94 | 0.08 | 0.04 | 0.12 |
|  |  | [-1.00, -0.86] | [0.02, 0.15] | [-0.04, 0.10] | [0.04, 0.18] |
|  | Sugary soda tax | -0.66 | 0.02 | -0.02 | 0.03 |
|  |  | [-0.71, -0.56] | [-0.04, 0.12] | [-0.11, 0.07] | [-0.10, 0.11] |
| Sugar (100g) | Pre tax | 4.19 | 0.13 | 0.56 | 1.06 |
|  |  | [4.17, 4.31] | [0.04, 0.25] | [0.45, 0.72] | [0.95, 1.18] |
| $\Delta$ sugar (100g) | Soda tax | -0.47 | -0.01 | -0.01 | 0.00 |
|  |  | [-0.51, -0.43] | [-0.04, 0.05] | [-0.06, 0.03] | [-0.06, 0.05] |
|  | Sugary soda tax | -0.94 | 0.06 | 0.01 | 0.13 |
|  |  | [-1.01, -0.81] | [-0.04, 0.17] | [-0.13, 0.10] | [-0.01, 0.23] |

## Effects of tax by total spending

|  |  | Quartile of grocery expenditure distribution |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $1$ <br> Mean | $\begin{array}{ccc} 2 & 3 & 4 \\ \text { Difference in mean with quartile } 1 \end{array}$ |  |  |
| Volume (I) | Pre tax | $\begin{gathered} 8.13 \\ {[8.08,8.35]} \end{gathered}$ | $\begin{gathered} 0.26 \\ {[0.07,0.39]} \end{gathered}$ | $\begin{gathered} -0.28 \\ {[-0.41,-0.09]} \end{gathered}$ | $\begin{gathered} -0.53 \\ {[-0.65,-0.38]} \end{gathered}$ |
| $\Delta$ volume (1) | Soda tax | -1.03 | 0.15 | 0.18 | 0.25 |
|  |  | [-1.11, -0.95] | [0.09, 0.23] | [0.11, 0.27] | [0.17, 0.33] |
|  | Sugary soda tax | -0.85 | 0.18 | 0.20 | 0.34 |
|  |  | [-0.95, -0.72] | [0.09, 0.27] | [0.14, 0.33] | [0.24, 0.48] |
| Sugar (100g) | Pre tax | 5.04 | -0.11 | -0.39 | -0.86 |
|  |  | [5.00, 5.18] | [-0.19, 0.01] | [-0.50, -0.28] | [-0.96, -0.75] |
| $\Delta \operatorname{sugar}(100 \mathrm{~g})$ | Soda tax | -0.62 | 0.14 | 0.15 | 0.23 |
|  |  | [-0.67, -0.54] | [0.11, 0.20] | [0.12, 0.21] | [0.18, 0.30] |
|  | Sugary soda tax | -1.14 | 0.23 | 0.24 | 0.41 |
|  |  | [-1.26, -1.00] | [0.14, 0.36] | [0.16, 0.41] | [0.29, 0.56] |

## Tax burden by total spending: compensating variation

|  | Quartile of grocery expenditure distribution |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | $\begin{gathered} 1 \\ \text { Mean } \end{gathered}$ | $\begin{array}{ccc}2 & 3 & 4 \\ \text { Difference in mean with quartile } 1\end{array}$ |  |  |
| Soda tax | 1.90 | 0.09 | -0.05 | -0.10 |
|  | [1.88, 1.95] | [0.04, 0.13] | [-0.09, 0.00] | [-0.13, -0.06] |
| Sugary soda tax | 2.07 | 0.02 | -0.11 | -0.30 |
|  | [2.05, 2.15] | [-0.02, 0.10] | [-0.19, -0.04] | [-0.37, -0.25] |

## Summary

- Model demand in the soda market, estimating consumer specific preference parameters for soda, price and sugar
- Use estimates to explore demand responses to soda tax
- Tax levied only on sugary soda induces larger reduction in sugar but smaller reduction in total soda than comparable tax levied on all soda
- Little evidence either tax specifically targets consumption of individuals with high share of added sugar in diet
- Consumers with lower total spending respond more strongly than higher expenditure consumers

